

~~Est-ce que pour introduire un axe dans une  
série de  $\mu$  et  $\nu$  suffisant pour les axes sont constants  
avec les axes déjà existants?~~

Decay  $\mu \rightarrow e + \nu$

Système repos méson avec', laboratoire sans:

$$U_e' + U_\nu' = \mu c^2$$

$$p_e + p_\nu' = 0$$

Particules très énergétiques:  $U_e' \sim c p_e'$ ;  $U_\nu' \sim c p_\nu'$

$$\rightarrow U_e' \sim U_\nu' = \frac{1}{2} \mu c^2$$

Let  $\theta'$  be the angle in the rest-system of the meson, of the electron with respect to the direct. of motion of the meson. Transf. de Lorentz:

$$\left. \begin{aligned} c p_x' &= U_e' \cos \theta' = \frac{1}{2} \mu c^2 \cos \theta' \\ U_e' &= \frac{1}{2} \mu c^2 \end{aligned} \right\}$$

$$\left. \begin{aligned} U_e &= (\sqrt{1-\beta^2})^{-1} [U_e' + \beta c p_x'] \\ &= \frac{1}{2} [U + c p \cos \theta] \end{aligned} \right\} \quad (29)$$

where  $U$  and  $p$  are tot. energy, and moment. resp. of the meson.

- let  $f(U_e) dU_e$  be the prob. that when a meson of meson  $\mu$  disintegrates, an elect. with energy in  $dU_e$  at  $U_e$  is produced. The probab. that 1 elect. is emitted in  $d\theta'$  at  $\theta'$  is

$$\frac{2\pi \sin\theta' d\theta'}{4\pi} = \frac{1}{2} \sin\theta' d\theta'$$

Differentiating (29) :

$dU_e = \frac{1}{2} c \rho \sin\theta' d\theta'$  Thus the prob. that an electron is emitted with an energy  $U_e$  at  $U_e$  is  $f(U_e) dU_e = \frac{dU_e}{c \rho}$

so that the probab. of emission of an electron of a partic. energy is independ. of this energy

$f(U_e)$

